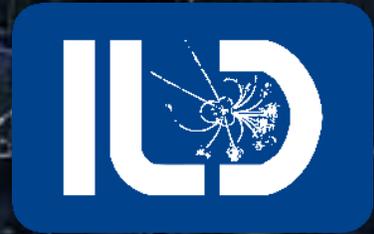


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Moscow Russia



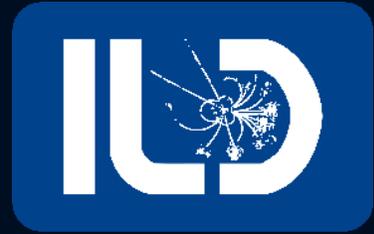
CPV in e^+e^-H at 1 TeV ILC

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УНИВЕРЗИТЕТ
У КРАГУЈЕВЦУ



Outline



- Introduction
- SM-like Higgs boson as a CPV mixture of CP even and odd states
- Ways to probe HVV vertices ($V = Z, W$) in Higgs production and decays
- Higgs production in ZZ-fusion, ϕ distributions
- ILC & ILD
- Method of the ψ_{CP} measurement
 - Preselection
 - MVA selection
 - Reconstructed CPV observable for signal and background
- Summary



Introduction

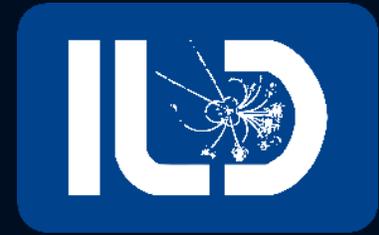
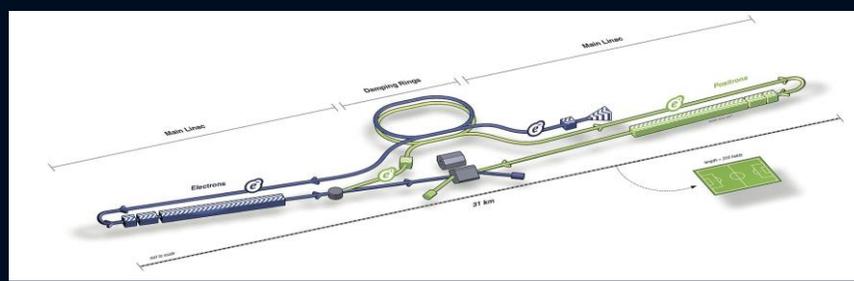
- Experimentally observed size of the CP violation (CPV) is insufficient to explain the baryon asymmetry of the Universe → search for new sources of the CPV beyond the SM is necessary
- Higgs boson is the only fundamental scalar discovered, related to quite a few unknowns (mass stabilization – hierarchy problem, contribution to the energy density of the Universe, connection to the dark matter and gravity, etc.)
- It is conceivable that new sources of CPV may be introduced in an extended Higgs sector.
- ILC precision to measure the CPV mixing angle (ψ_{CP}) between the Higgs scalar and pseudoscalar states seems to be the most promising in the fermionic $H \rightarrow \tau\tau$ decay at 250 GeV (Table 1, JHEP 2020, 139 (2020)) – see *D. Jeans talk*
- Other possibilities (i.e. HVV vertices) are worth exploiting as well as the other center-of-mass energies offered by the ILC staged physics programme
- Here we report on the status of the on-going CPV analysis in the eeH production at 1 TeV ILC

Table 1.

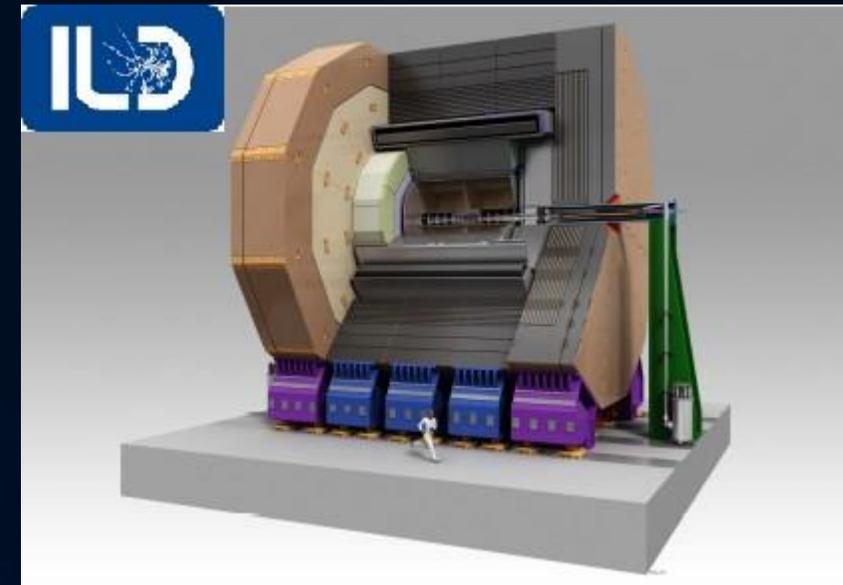
Collider	ψ_{CP}
HL-LHC	8°
HE-LHC	–
CEPC	–
FCC-ee ₂₄₀	10°
ILC ₂₅₀	4°



ILC & ILD



- The International Linear Collider (ILC) is a high-luminosity linear e^-e^+ collider with center-of-mass-energy range of 250 -500 GeV (extendable to 1 TeV) aimed for precision studies in the Higgs sector operating as a Higgs factory, detecting new physics phenomena in a direct or indirect way. It is designed to achieve a luminosity of $1.35 \cdot 10^{34} \text{ cm}^{-2}\text{s}^{-1}$ and provide an integrated luminosity of 400 fb^{-1} in the first four years of running (2 ab^{-1} in a little over a decade).
 - The electron beam will be polarized to 80 %, and the baseline plan includes an undulator-based positron source which will deliver 30 % positron polarization
 - The well-defined collision energy at the ILC, highly polarized beams and low background levels, will enable these precision measurements
-
- Excellent track momentum resolution: $\delta(1/p) = 2 \times 10^{-5} \text{ GeV}^{-1}$
 - Very powerful vertex detectors: $\delta(SV) < 4 \mu\text{m}$
 - Jet energy resolution: $\sigma_{E, \text{jet}} < 3.5 \%$ over 100 GeV
 - Lepton (electron and muon) identification efficiency: above 99 %
 - Good hermeticity down to $\cos(\theta) \approx 0.984$

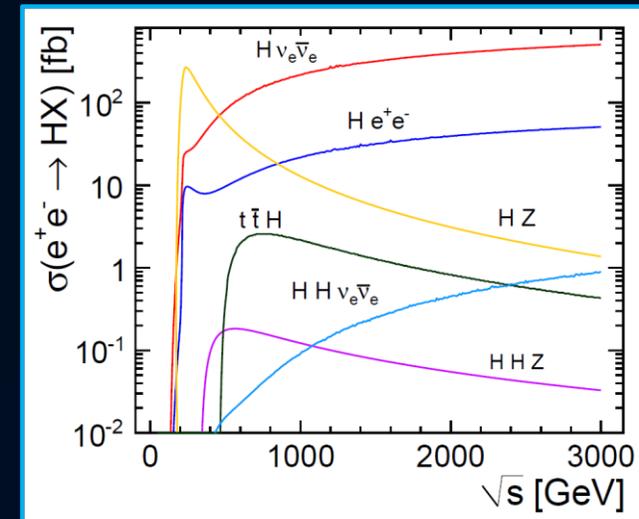
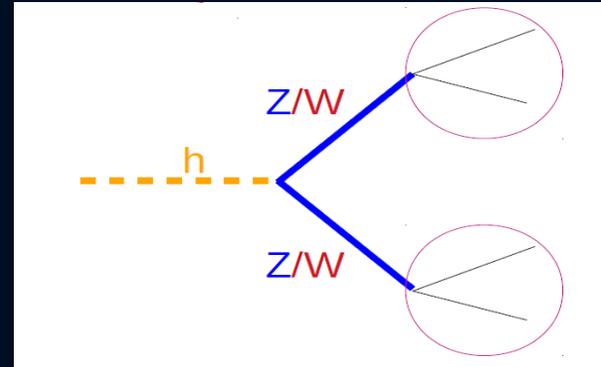
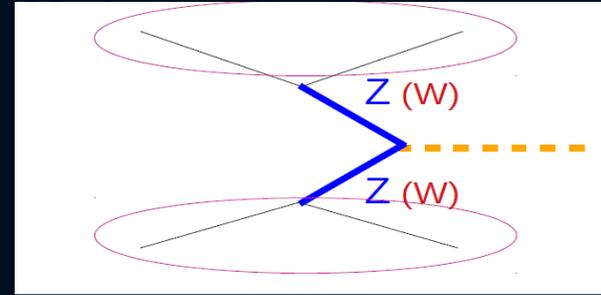


SM-like Higgs boson as a CPV mixture of CP even and odd states

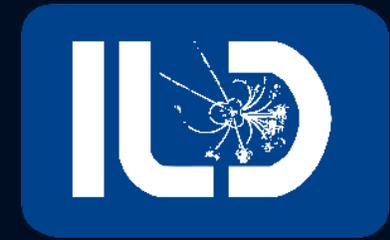
- SM-like Higgs boson could be a mixture of scalar (H) and pseudo-scalar state (A):

$$h = H \cdot \cos \psi + A \cdot \sin \psi$$

- Correlation between spin orientations of VV carries information on the Higgs CP state
- Numerous Higgs production processes at linear machines can be exploited (hZ , WW -fusion, ZZ -fusion) at various c.m. energies
- Both Higgs production and decays can be studied



Ways to probe HVV vertices ($V=Z, W$) in Higgs production and decays



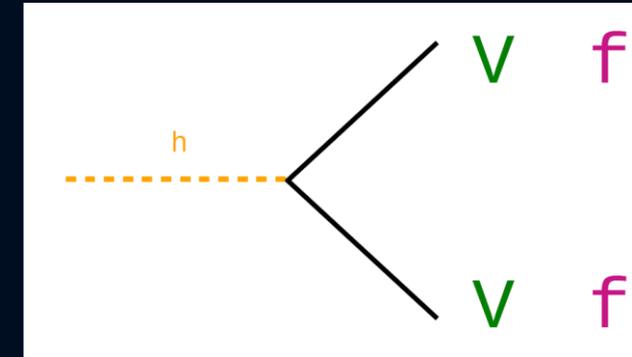
- hVV vertex (CPV at a loop level):

$$\mathcal{L}_{VWH} \sim M_Z^2 \left(1/v + a_V/\Lambda \right) Z_\mu Z^\mu h + (b_V/2\Lambda) Z_{\mu\nu} Z^{\mu\nu} h + (\tilde{b}_V/2\Lambda) Z_{\mu\nu} \tilde{Z}^{\mu\nu} h$$

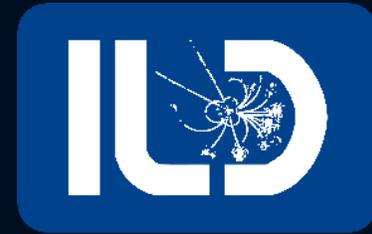
- hff vertex (CPV at a tree level):

$$\mathcal{L}_{ffH} \sim g \bar{f} \left(\cos \psi_{CP} + i \gamma^5 \sin \psi_{CP} \right) f h$$

- Suppressed effect in VV-fusion w.r.t. (i.e.) Higgs to $\tau\tau$ decay, but relatively high statistics available (~ 27000 inclusively produced Higgs bosons in ZZ-fusion in 1 ab^{-1} at 1 TeV ILC, however approximately half in the central tracker)



Ways to probe HVV vertices (V=Z, W) in Higgs production and decays

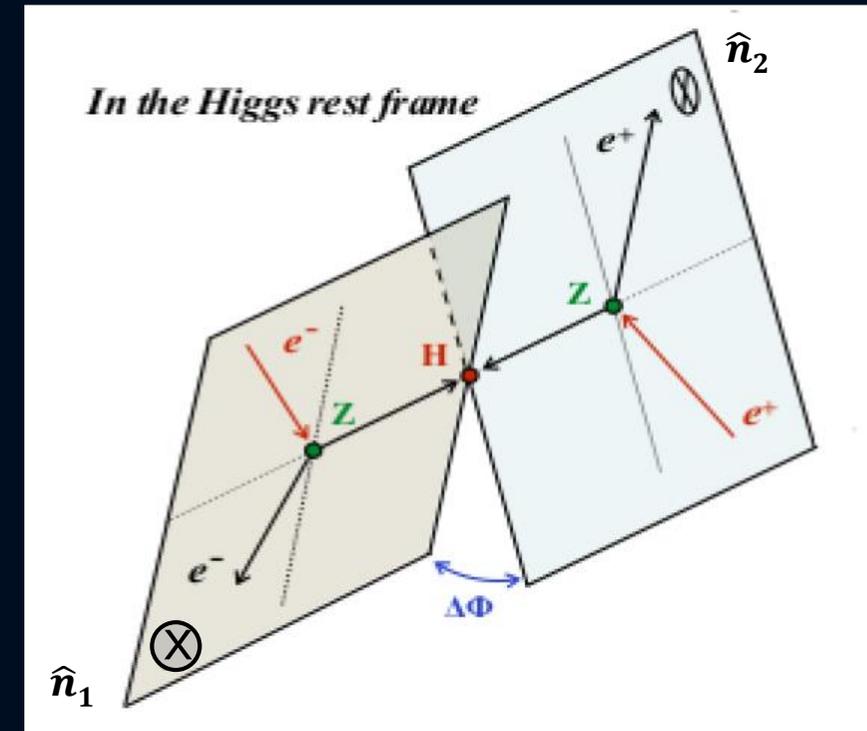


- Information on spin orientations of VV states is contained in the angle ϕ between production (decay) planes
- Angle between planes is the angle between unit vectors orthogonal to those planes:

$$\hat{n}_1 = \frac{q_{e_i^-} \times q_{e_f^-}}{|q_{e_i^-} \times q_{e_f^-}|} \quad \text{and} \quad \hat{n}_2 = \frac{q_{e_i^+} \times q_{e_f^+}}{|q_{e_i^+} \times q_{e_f^+}|} \quad (1)$$

- There is more than one way (convention) to define n_1 and n_2 from 3 vectors forming the planes (1st plane: initial electron, final electron, Z_{e^-} ; 2nd plane: initial positron, final positron, Z_{e^+})
- Orientation of n_1 and n_2 could be in the same hemisphere (angle between n_1 and n_2 smaller than 180 deg.) or in the opposite (angle between n_1 and n_2 larger than 180 deg.)

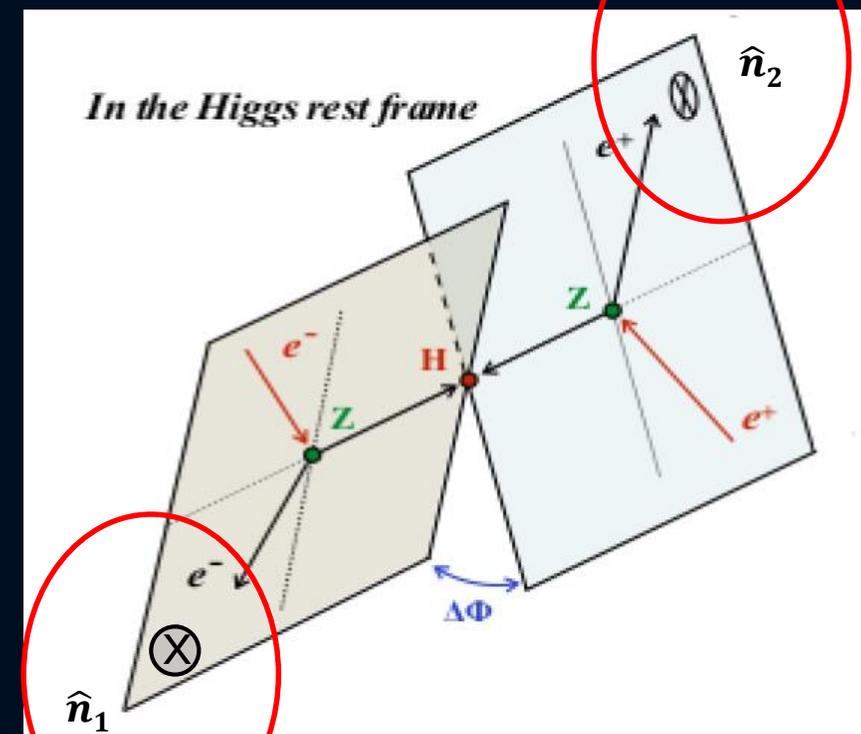
Higgs production in ZZ-fusion



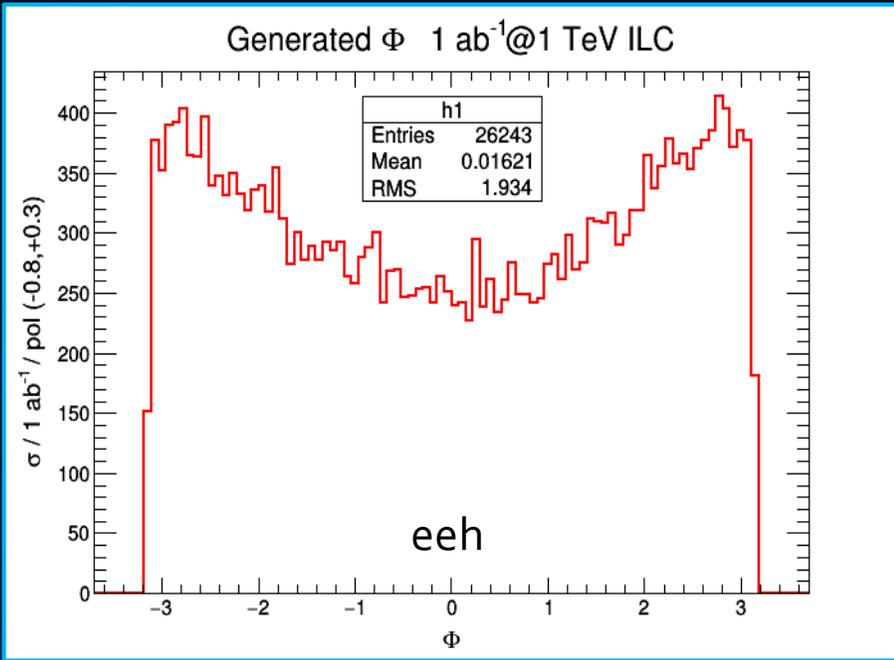
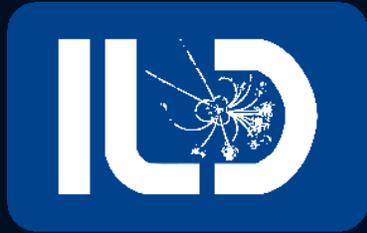
- Since vectors \hat{n}_1 and \hat{n}_2 have the same direction, the angle between planes can be retrieved through the arccos function as:
- $\phi = a \arccos(\pm \hat{n}_1 \cdot \hat{n}_2)$
- Sign \pm retain natural domain of arccos function (which has a feature of returning angles from I and II quadrants also for angles larger than 180 deg.)
- a defines how the second (positron) plane is rotated w.r.t. the first (electron) plane; If it falls backwards (as illustrated) $a=-1$, otherwise $a=1$. Direction of Z in the e^- plane regulates the notion of direction (fwd. or back.) by the right hand rule

$$a = \frac{q_{Z e^-} \cdot (\hat{n}_1 \times \hat{n}_2)}{|q_{Z e^-} \cdot (\hat{n}_1 \times \hat{n}_2)|}$$

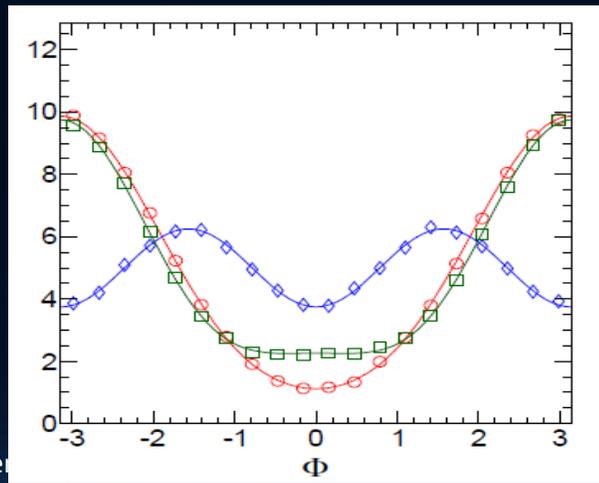
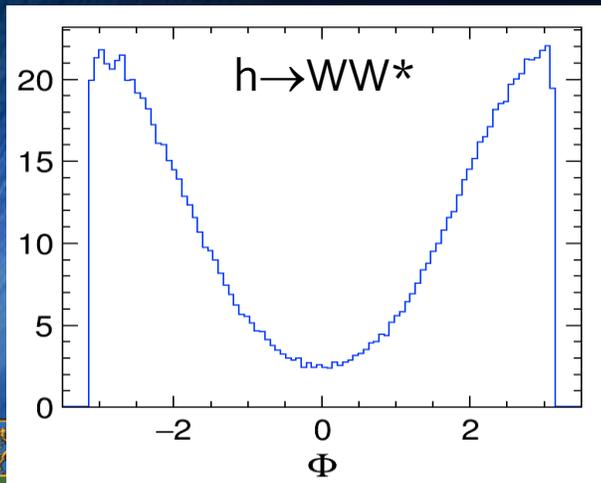
Higgs production in ZZ-fusion



Examples of ϕ distributions



- We are correctly reproducing ϕ distributions at the generator level both for hVV production and decay vertices ($V = Z, W$)
- All distributions are obtained for $\psi_{CP} = 0$



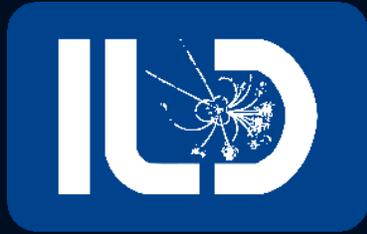
S. Bolognesi et al.,
On the spin and parity of a single produced resonance at the LHC,
arXiv:1208.4018 [hep-ph] for Higgs to ZZ^* and WW^* decays

J_m^+ (red circles), J_h^+ (green squares), J_h^- (blue diamonds)

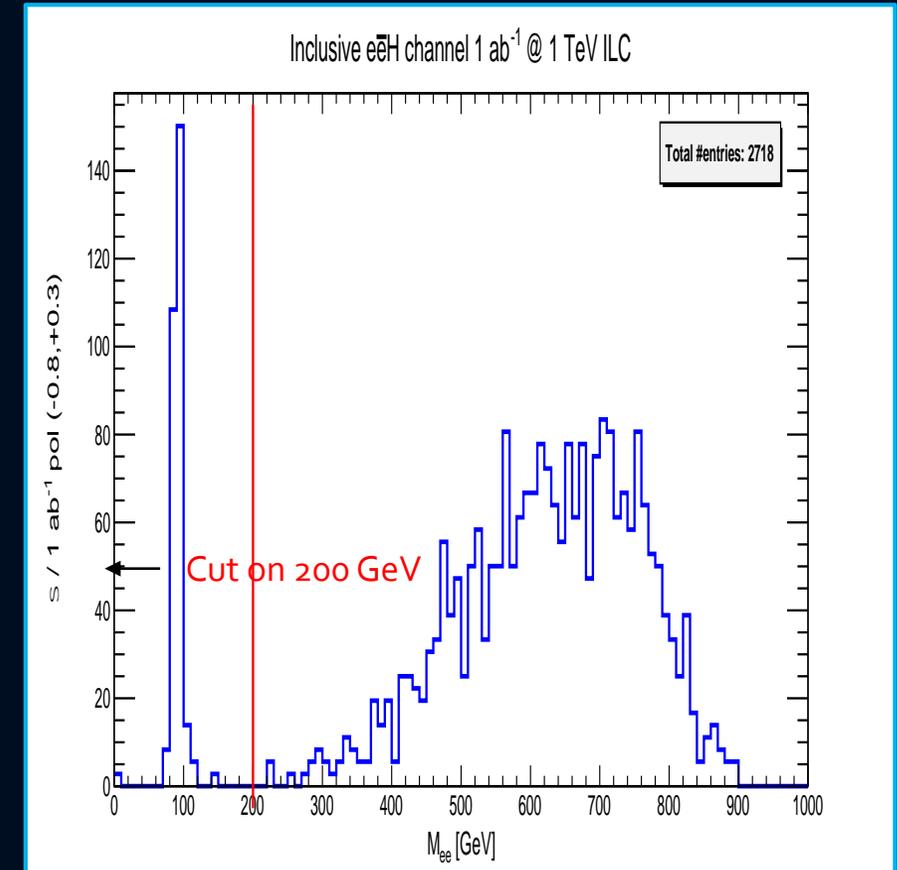
scenario	X production	$X \rightarrow VV$ decay	comments
0_m^+	$gg \rightarrow X$	$g_1^{(0)} \neq 0$ in Eq.(9)	SM Higgs boson scalar
0_h^+	$gg \rightarrow X$	$g_2^{(0)} \neq 0$ in Eq.(9)	scalar with higher-dimension operators
0^-	$gg \rightarrow X$	$g_4^{(0)} \neq 0$ in Eq.(9)	pseudo-scalar



Method of the ψ_{CP} measurement



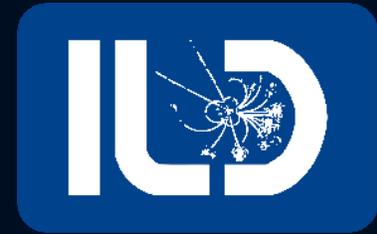
- Consider $H \rightarrow bb$ and $H \rightarrow WW \rightarrow 4 \text{ jets}$ decays
 - 1. Cover most of the Higgs width ($\sim 80\%$)
 - 2. Avoid high cross-section $e^+e^- \rightarrow e^+e^-\gamma$ background present in inclusive reconstruction
 - 3. Combine results
- Select ZZ-fusion (signal is mixed with HZ) using $m(e^+e^-)$
- Isolate 2 leptons (e^+e^-)
- Reconstruct ϕ
- Suppress background with MVA
- Describe ϕ of the signal and background with PDFs
- Reconstruct ϕ of the signal from pseudo-data ($S + B$)
- Fit ψ_{CP} from the ϕ distribution
- Repeat pseudo experiments
- Combine channels



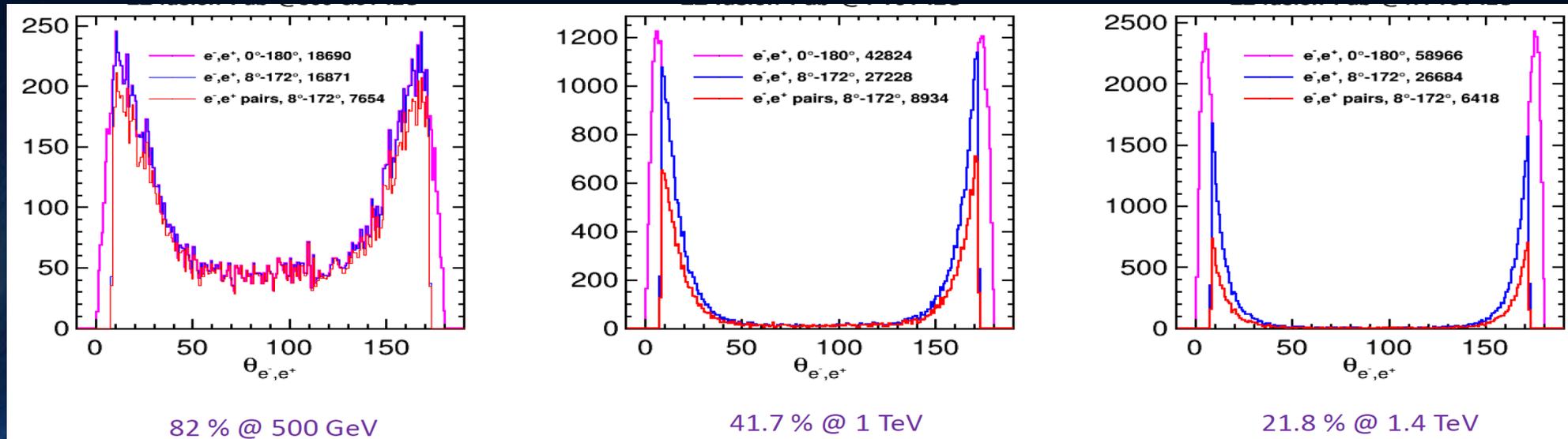
Dilepton mass distribution



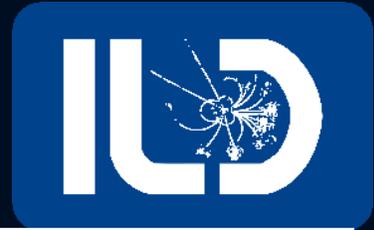
Higgs production in ZZ-fusion



- WHIZARD v1.95, 500GeV/0.5 ab⁻¹, 1 TeV/ 1 ab⁻¹, 1.4 TeV/1 ab⁻¹, unpolarized
- t-channel process, electrons (spectators) are scattered forward - not full statistics available in the tracker
- Due to this fact 1 TeV is the optimal energy for this study (already at i.e. 1.4 TeV the number of events with both electron in the tracker is $\sim 1/5$ of the available statistics). At 500 GeV i.e. x-section for ZZ fusion is relatively small (7.2 fb) and number of events in the tracker is order of magnitude smaller than at 1 TeV
- Around $7 \cdot 10^3$ eeh events with both e⁺ and e⁻ in the tracker in 1 ab⁻¹ at 1 TeV ILC with (-0.8, +0.3) polarized beams



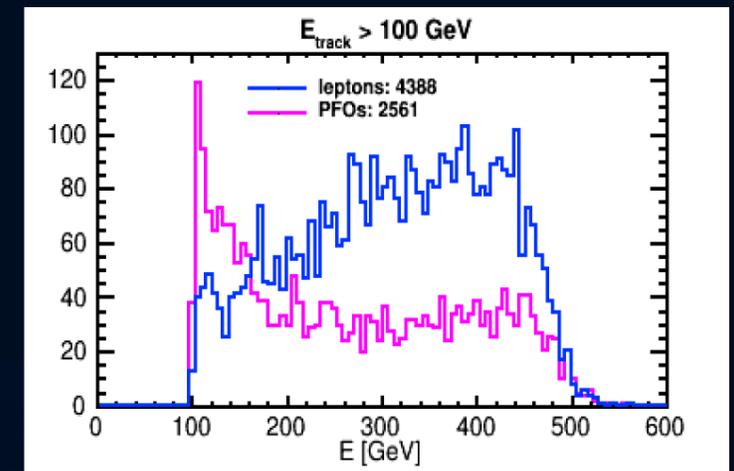
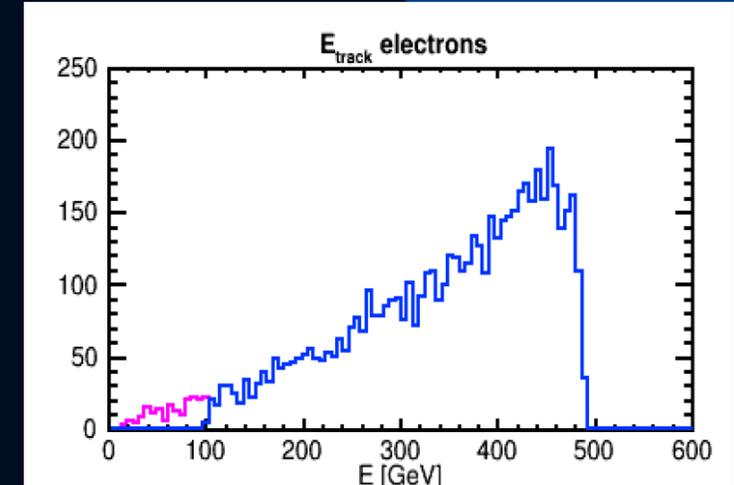
Preselection

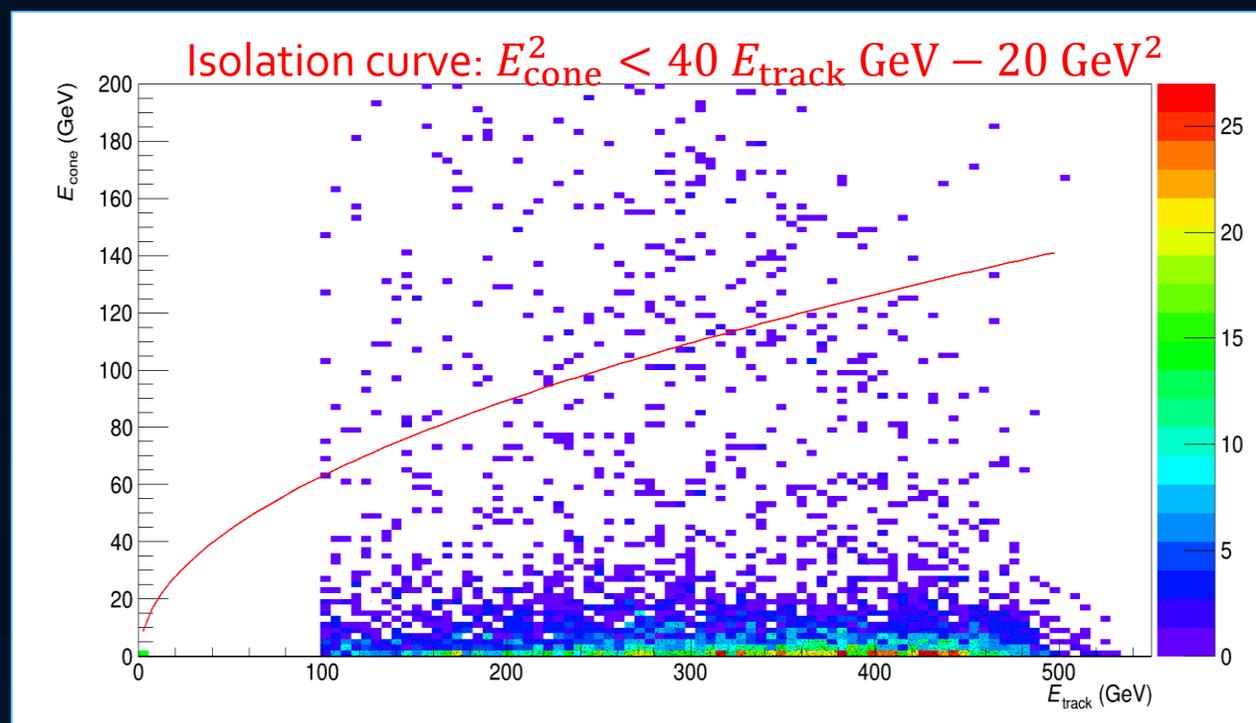
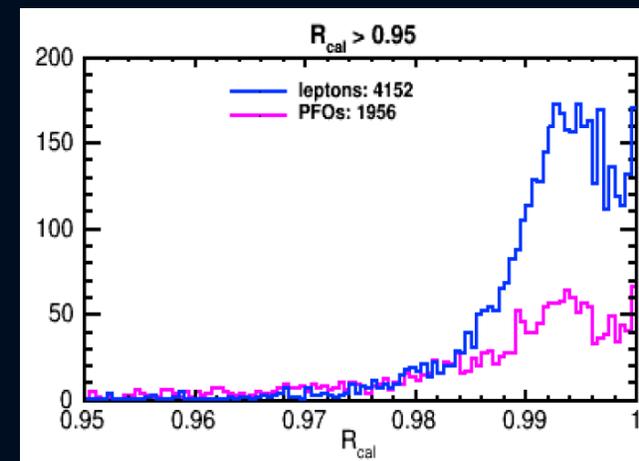
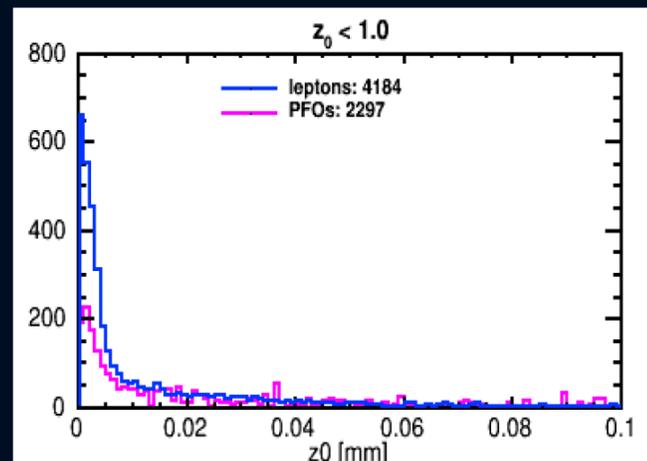
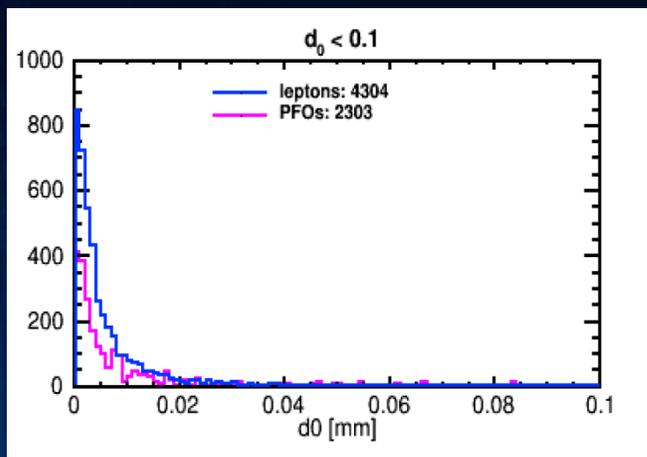
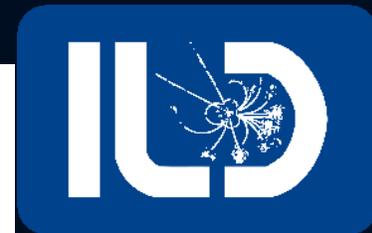


- ILC samples at 1 TeV, assuming $\mathcal{L} = 1 \text{ ab}^{-1}$, generated with LR polarization (-1, 1) are normalized to polarization (-0.8, +0.3):

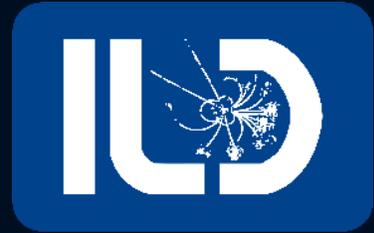
$$W_{\text{pol}} = \left(\frac{1 - P_{e^-}}{2}\right) \cdot \left(\frac{1 + P_{e^+}}{2}\right) = \left(\frac{1 - (-0.8)}{2}\right) \cdot \left(\frac{1 + 0.3}{2}\right) = 0.585$$

- Preselection: find 2 isolated electrons (e^+e^-)
- Goal: find electrons spectators from ZZ-fusion and reduce high cross-section backgrounds
- Requirements:
 - Track energy: $E_{\text{track}} > 100 \text{ GeV}$ – spectators are energetic (3.3% loss)
 - Impact parameter: $d_0 < 0.1, z_0 < 1.0$
 - Ratio of deposition: $R_{\text{cal}} > 0.95$
 - Optimize cone vs. track energy





Signal and background preselection efficiencies



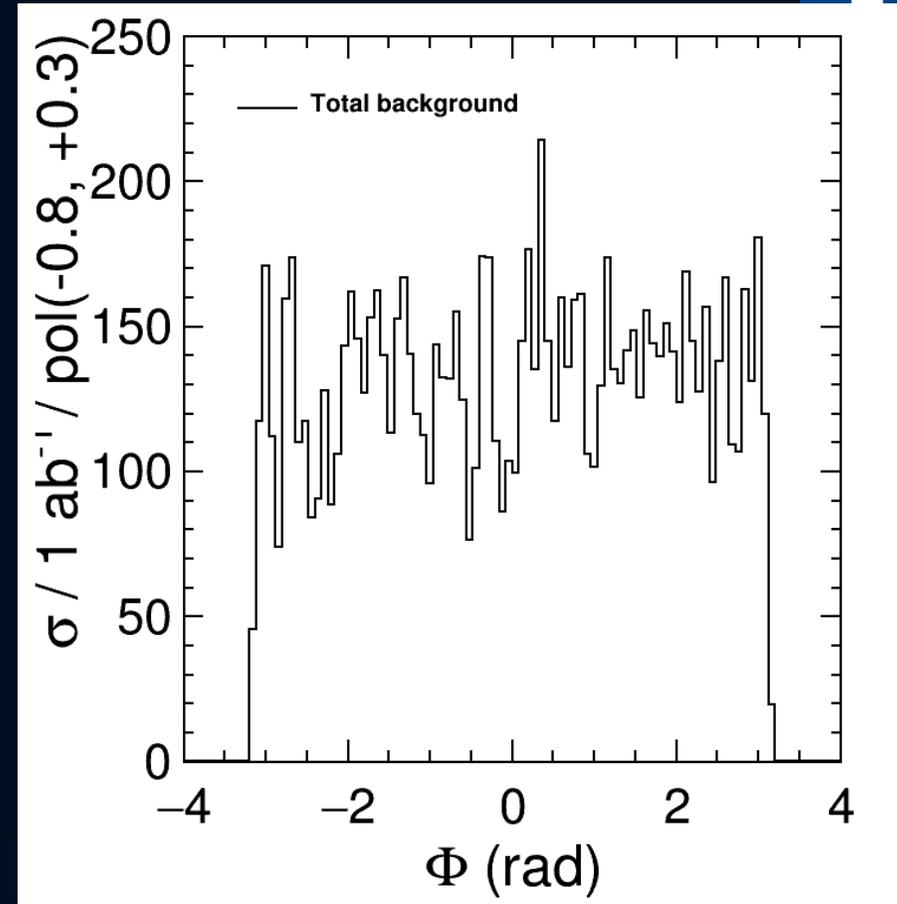
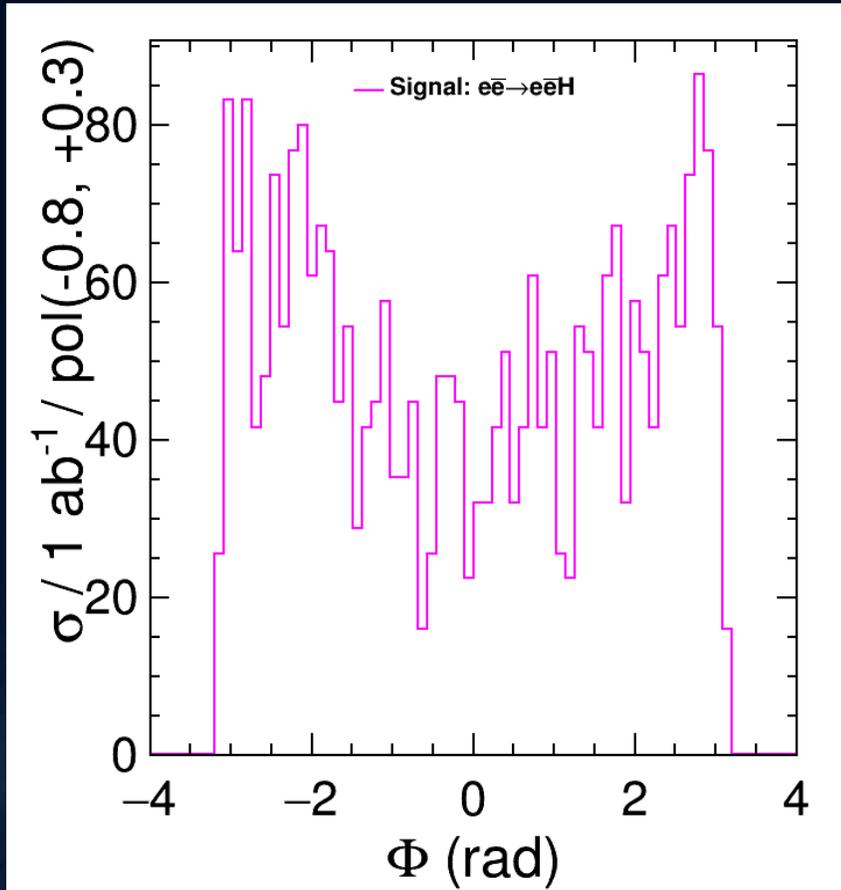
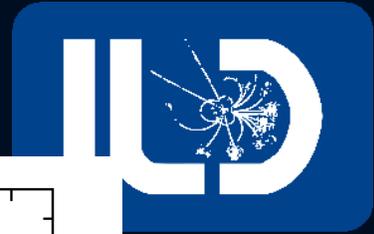
1 TeV/1 ab ⁻¹ /pol(-80%, +30%)	Sample	σ [fb]	Input	Output	Efficiency [%]
Signal:	$e^+e^- \rightarrow e^+e^-H(H \rightarrow b\bar{b})$	15.1	$N_{true} = 1121^*$ $N_{signal}^{norm} = 3600$	$N_{true} = 875^*$ $N_{sig/iso}^{norm} = 2800$	78 %
Background samples:	$e^-e^+ \rightarrow e^-e^+q\bar{q}^{**}$	2577.3	$N_{ev}^{norm} = 226160$	$N_{true} = 1447$ $N_{ev}^{norm} = 5470$	2.42 %
	$e^-e^+ \rightarrow evqq^{***}$	8963.3	$N_{ev}^{norm} = 1730000$	$N_{true} = 428$ $N_{ev}^{norm} = 346$	0.02 %
	$e^-e^+ \rightarrow q\bar{q}^{**}$	9375.3	$N_{ev}^{norm} = 877528$	$N_{ev}^{norm} = 4$	0.0046 ‰
	$\gamma\gamma \rightarrow q\bar{q}q\bar{q}$	126.0	$N_{ev}^{norm} = 73835$	$N_{true} = 282$ $N_{ev}^{norm} = 930$	1.26 %
	$\gamma\gamma \rightarrow e^-e^+q\bar{q}$	3.1	$N_{ev}^{norm} = 1817$	$N_{ev}^{norm} = 5$	0.25 %

* Small current sample size, ** $q=b$, *** $q=b,c$

B:S=2.5:1



Reconstructed CPV observable for signal and background



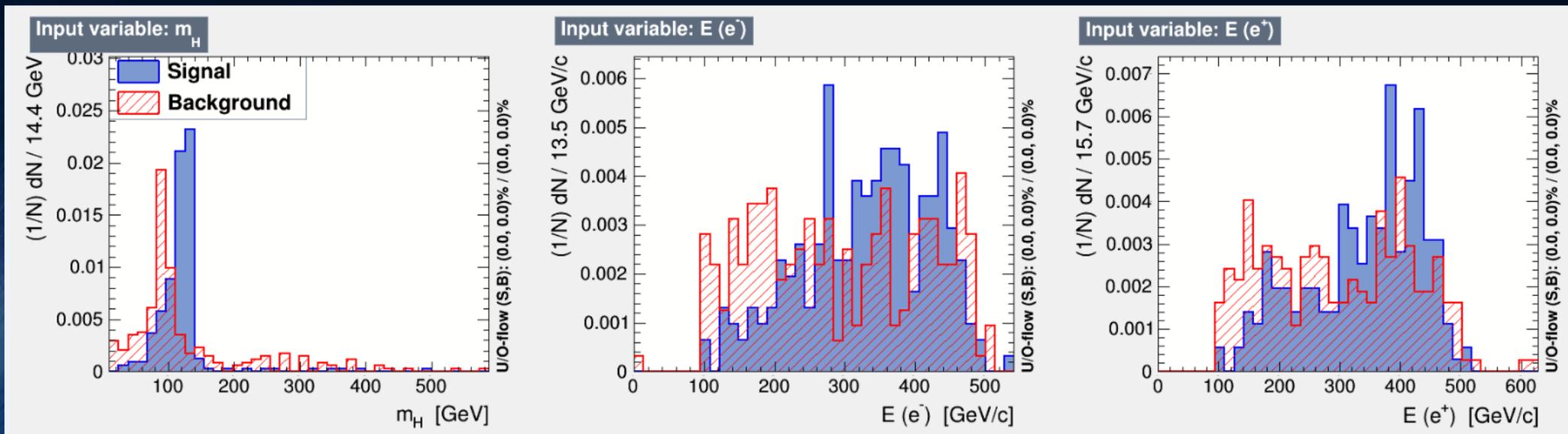
After preselection



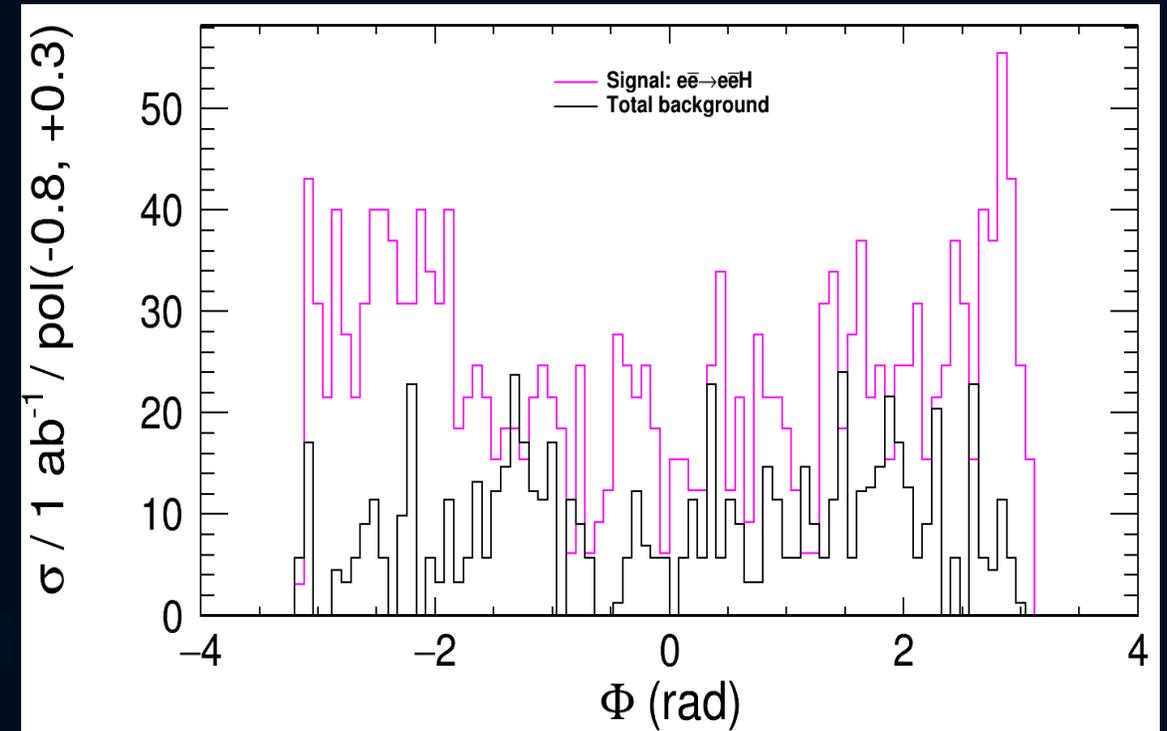
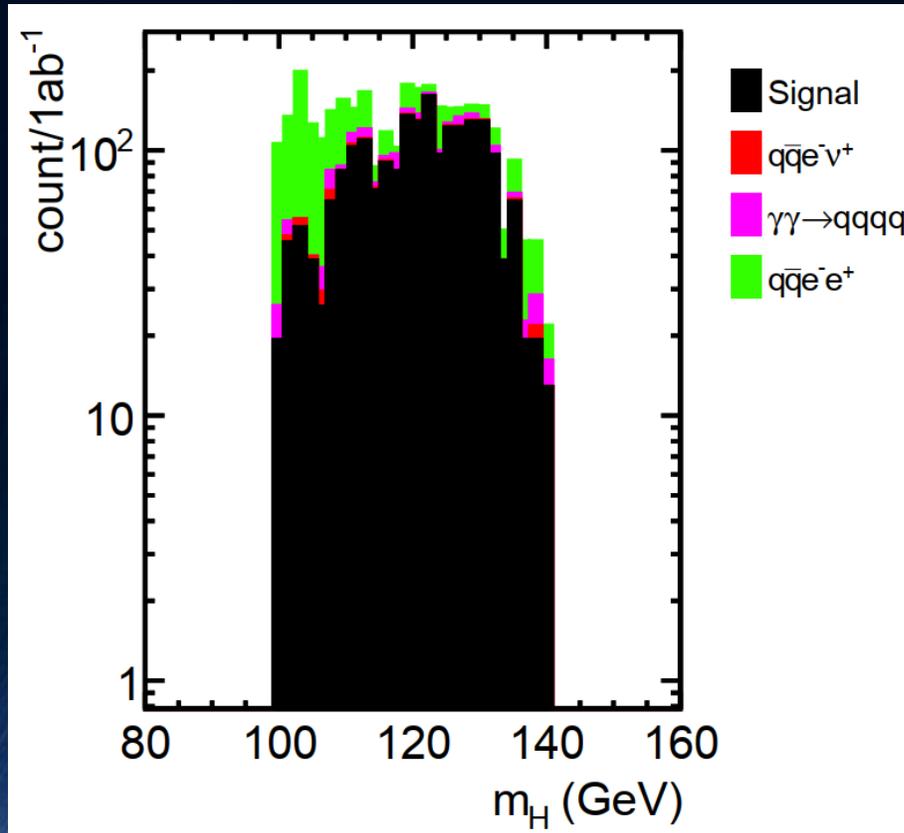
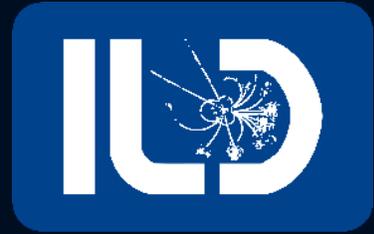
MVA selection



- MVA is trained with 14 sensitive variables: $p_{e^-}, p_{e^+}, E_{e^-}, E_{e^+}, p_{T(e^-e^-)}, p_{T(e^+e^+)}, p_{T(q_1)}, p_{T(q_2)}, E_{q_1}, E_{q_2}, m_H, E_H, p_{T(H)}, p_T^{miss}$
- Three the most sensitive observables are: m_H, E_{e^-} and E_{e^+}
- Best significance ~ 42 for $\text{BDT} > 0.013$ (training)
- BDT efficiency $\sim 70\%$, **B:S= 1:2.6**
- Approximately $\frac{1}{4}$ of the available signal statistics analyzed

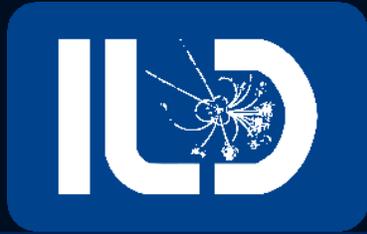


After MVA



- MVA reverses background to signal ratio to 1: 2.6
- Shapes maintained, yet large signal fluctuations
- Additional signal samples will be added

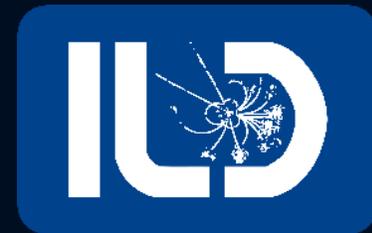




Summary

- Only few results of the CPV Higgs mixing angle measurements are available from the future projects. Primarily in the (more sensitive) Higgs fermionic decays and at lower center-of-mass energies
- 1 TeV ILC offers optimal statistics (cross-section – pseudorapidity interplay) to probe CPV also in the HVV vertices
- Sensitive angle ϕ between Higgs production planes is reconstructed in ZZ-fusion with the expected behavior for $\psi_{CP}=0$. Polarized data samples are fully simulated with 1 ab^{-1} (0.2 ab^{-1}) of integrated luminosity for background (signal). Result will be further improved since only $1/4$ of available signal statistics is used
- Background ϕ distribution is CPV insensitive and it is effectively suppressed with the staged event selection
- Further improvements are on the way (additional MVA observables, combination of results from samples with different polarization schemes).





BACKUP



Higgs decays: $H \rightarrow WW^*$ and $H \rightarrow ZZ^*$

- Unit vectors orthogonal to decay planes (one possible definition):

$$\hat{n}_1 = \frac{q_{f(V)} \times q_{\bar{f}(V)}}{|q_{f(V)} \times q_{\bar{f}(V)}|} \quad \text{and} \quad \hat{n}_2 = \frac{q_{f(V^*)} \times q_{\bar{f}(V^*)}}{|q_{f(V^*)} \times q_{\bar{f}(V^*)}|}$$

- \hat{n}_1 and \hat{n}_2 are now in 'the opposite' directions, to preserve correct arccos output (in the range 0-180 deg.) define ϕ as:

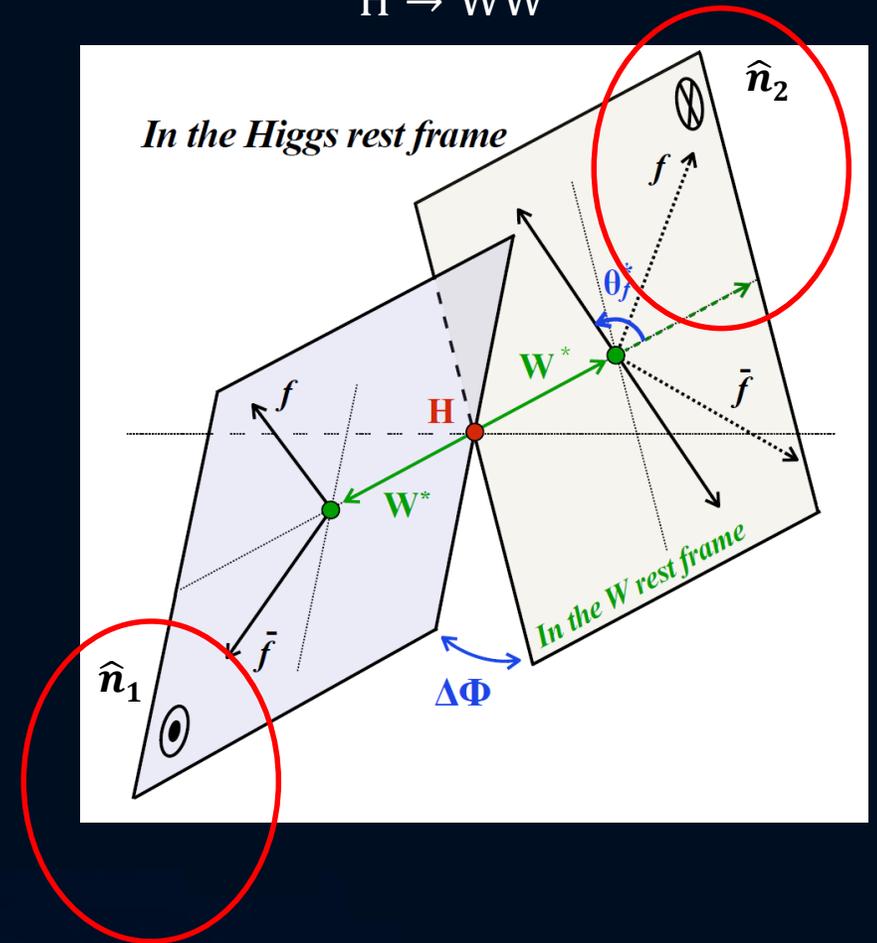
$$\phi = a \arccos(-\hat{n}_1 \cdot \hat{n}_2)$$

- where a defines how the second (off-shell boson V^*) plane is rotated w.r.t. the first (on-shell boson) plane; If it falls backwards (as illustrated) $a = -1$, otherwise $a = 1$. Direction of the on-shell boson (V) regulates the notion of direction (fwd. or back.)

$$a = \frac{q_V \cdot (\hat{n}_1 \times \hat{n}_2)}{|q_V \cdot (\hat{n}_1 \times \hat{n}_2)|}$$

- It is essential to distinguish between fermion and antifermion (jet-charge)

$H \rightarrow WW^*$



• Examples of possible definitions of n_1 and n_2 in ZZ-fusion:

1. $\phi_1 = \arccos(+\hat{n}_1 \cdot \hat{n}_2)$ where $\hat{n}_1 = \frac{q_{e_i^-} \times q_{e_f^-}}{|q_{e_i^-} \times q_{e_f^-}|}$ and $\hat{n}_2 = \frac{q_{e_i^+} \times q_{e_f^+}}{|q_{e_i^+} \times q_{e_f^+}|}$
2. $\phi_2 = \arccos(-\hat{n}_1 \cdot \hat{n}_2)$ where $\hat{n}_1 = \frac{q_{Z e^-} \times q_{e_i^-}}{|q_{Z e^-} \times q_{e_i^-}|}$ and $\hat{n}_2 = \frac{q_{Z e^-} \times q_{e_f^+}}{|q_{Z e^-} \times q_{e_f^+}|}$
3. $\phi_3 = \arccos(+\hat{n}_1 \cdot \hat{n}_2)$ where $\hat{n}_1 = \frac{q_{Z e^-} \times q_{e_i^-}}{|q_{Z e^-} \times q_{e_i^-}|}$ and $\hat{n}_2 = \frac{q_{Z e^+} \times q_{e_f^+}}{|q_{Z e^+} \times q_{e_f^+}|}$

• No matter how we define a unit vector orthogonal to a production (decay) plane, consistently defined ϕ leads to the same results (in production and decay).

